

Do we understand the HBT results at RHIC ?

Sven Soff

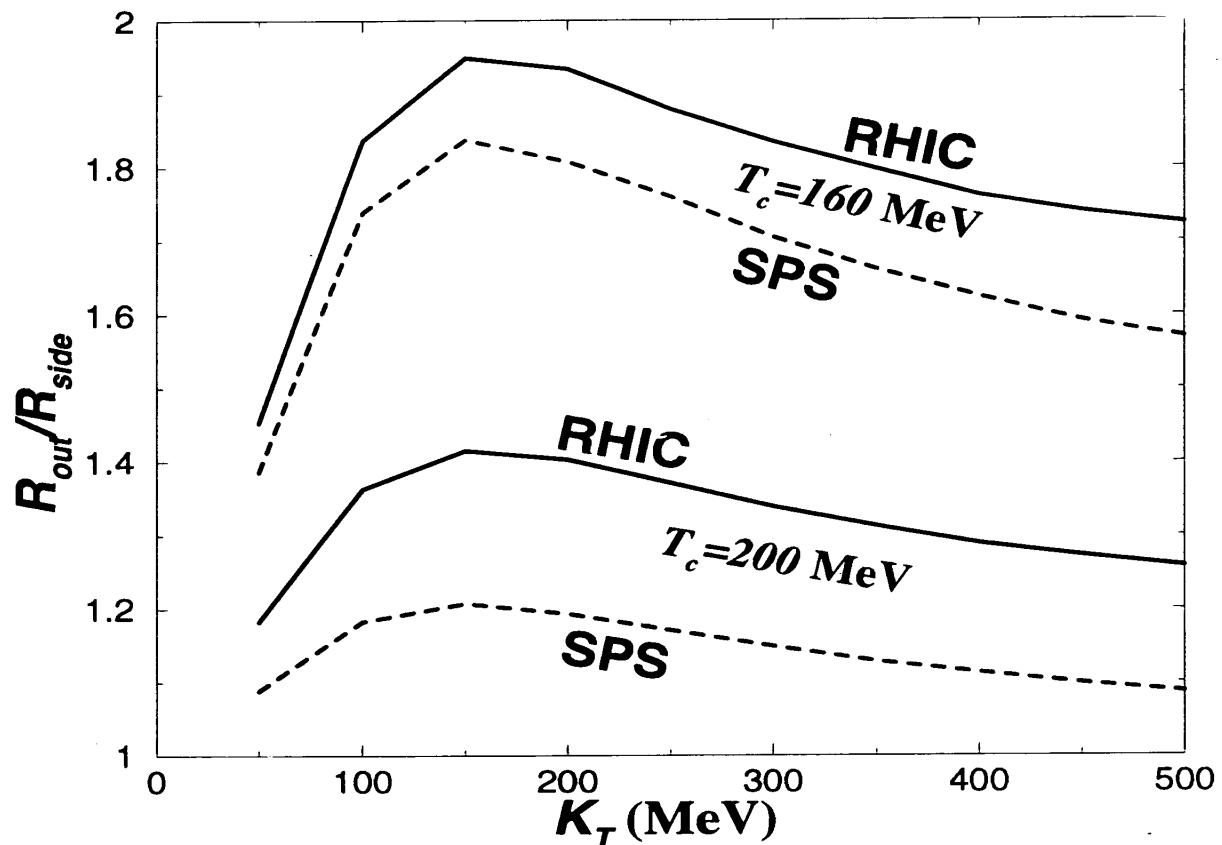
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Laboratory**

Correlationsfest

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$R_{\text{out}}/R_{\text{side}}$ at Phase Boundary



- ⊖ Strong QGP-lifetime effect for the low critical temperature !
- ⊖ Higher T_c means phase boundary is reached earlier from above (initial temperature $\approx 300 \text{ MeV}$), i.e. shorter plasma lifetime.
- ⊖ $R_{\text{out}}/R_{\text{side}}$ decreases with K_T stronger for the lower $T_c \rightarrow$ collective flow build up in prolonged plasma phase.
- ⊖ hadronization time is given by $\tau_H/\tau_i = s_i/s_H(T_c)$ (for isentropic expansion) \rightarrow as s_H increases with $T_c \rightarrow \tau_H$ decreases

HBT-Radius-Parameters characterizing the Gaussian ansatz

Determination from **freeze-out coordinates**
 $\tilde{x}, \tilde{y}, \tilde{z}, \tilde{t}$ via 'model-independent' expressions

$$R_{\text{side}}^2(\vec{K}_T) = \langle \tilde{y}^2 \rangle(\vec{K}_T)$$

$$R_{\text{out}}^2(\vec{K}_T) = \langle (\tilde{x} - \beta_t \tilde{t})^2 \rangle(\vec{K}_T)$$

$$R_{\text{long}}^2(\vec{K}_T) = \langle (\tilde{z} - \beta_l \tilde{t})^2 \rangle(\vec{K}_T)$$

$$R_{\text{lo}}^2(\vec{K}_T) = \langle (\tilde{x} - \beta_t \tilde{t})(\tilde{z} - \beta_l \tilde{t}) \rangle(\vec{K}_T)$$

with space-time coordinates

$$\tilde{x}^\mu(\vec{K}_T) = x^\mu - \bar{x}^\mu(\vec{K}_T)$$

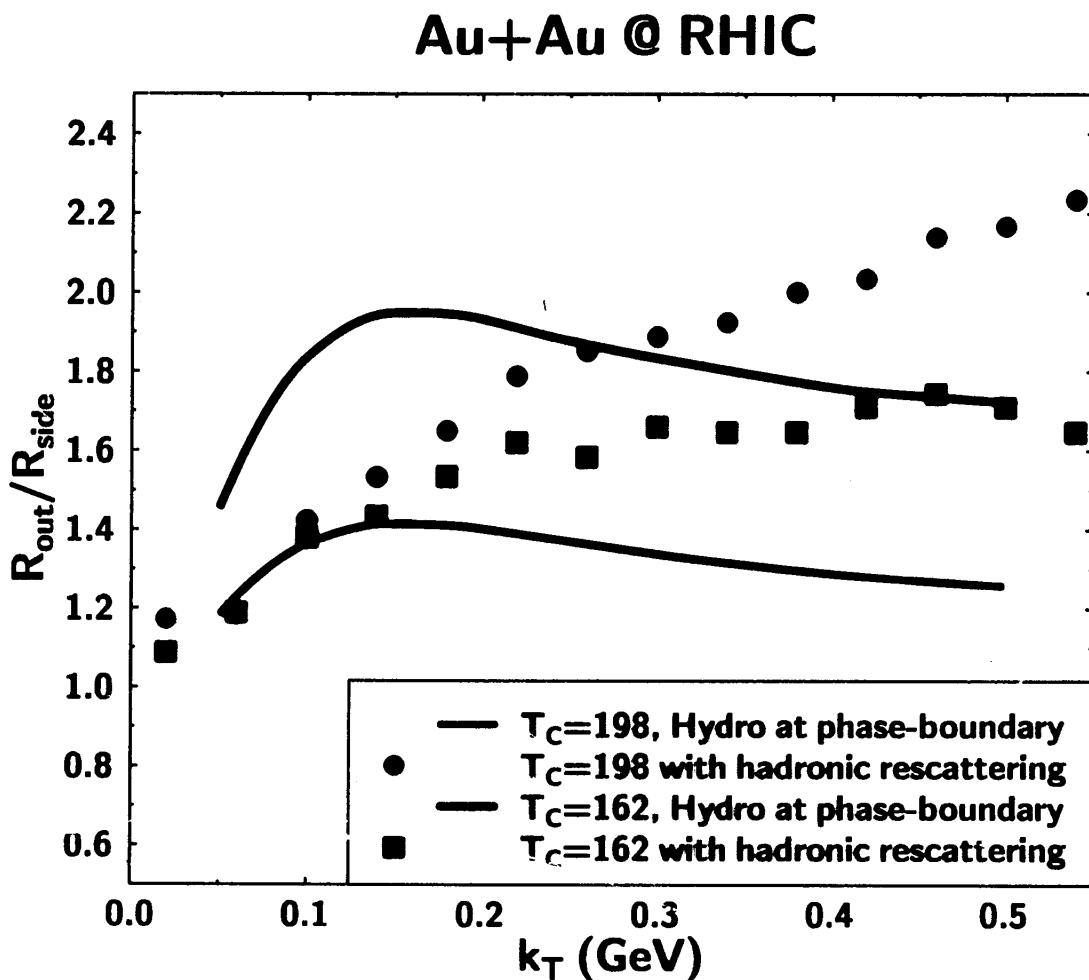
relative to *effective source centers*

$$\bar{x}^\mu(\vec{K}_T) = \langle x^\mu \rangle(\vec{K}_T)$$

$$\beta_i = K_i/E_K \quad E_K = \sqrt{m^2 + \vec{K}^2}$$

$$\langle \xi \rangle = \langle \xi \rangle(K) = \frac{\int \xi S(x, K) d^4x}{\int S(x, K) d^4x}$$

$R_{\text{out}}/R_{\text{side}}$ at Freeze-out



- ∴ Dependence on T_c is reversed with hadronic rescattering
- ∴ Higher T_c speeds up hadronization but prolongs dissipative hadronic phase (dominating the HBT-radii)

Interpretation/Approximation of Relation between R_{out} and R_{side}

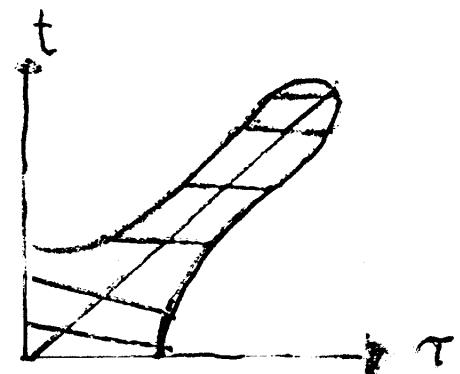
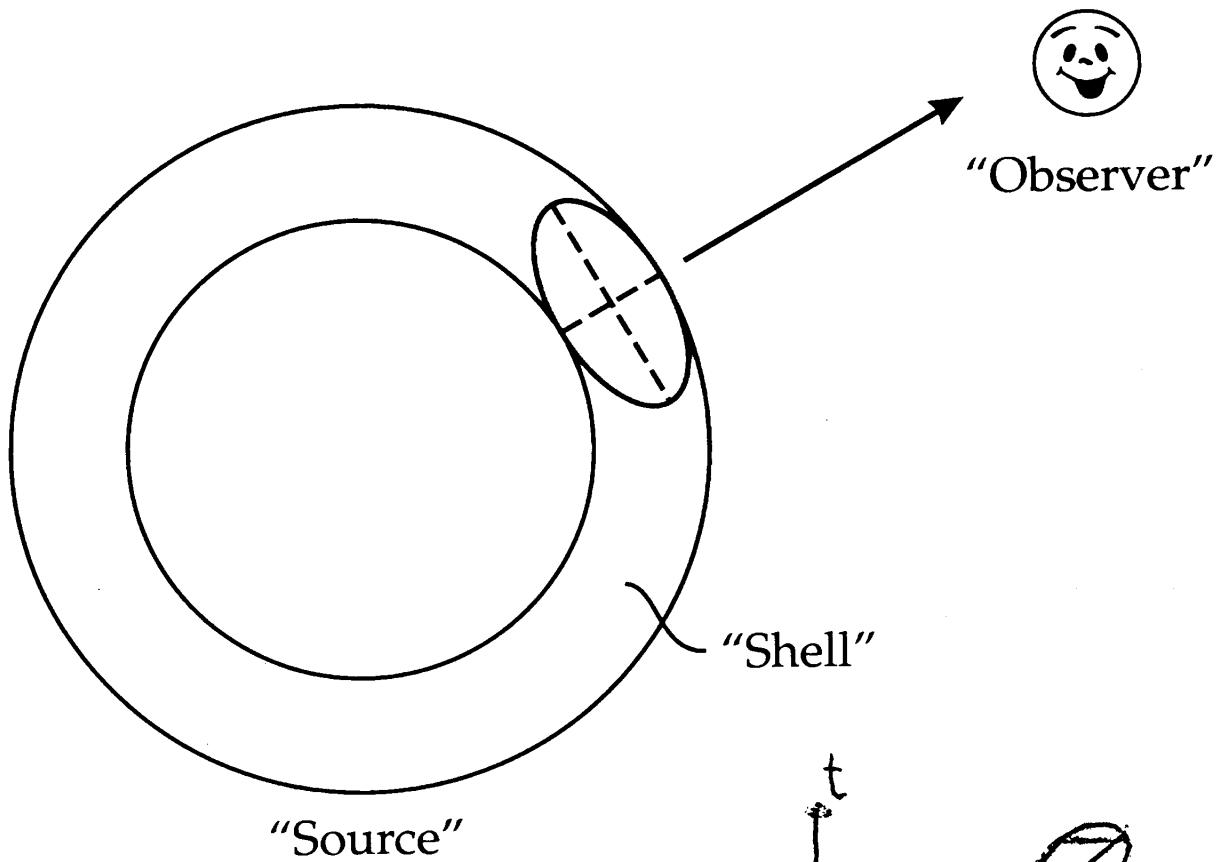
$$R_{\text{out}}^2(\vec{K}_T) = \langle \tilde{x}^2 + \beta_T^2 \tilde{t}^2 - 2\beta_T \tilde{x} \tilde{t} \rangle$$

!

$$R_{\text{side}}^2(\vec{K}_T) = \langle \tilde{y}^2 \rangle$$

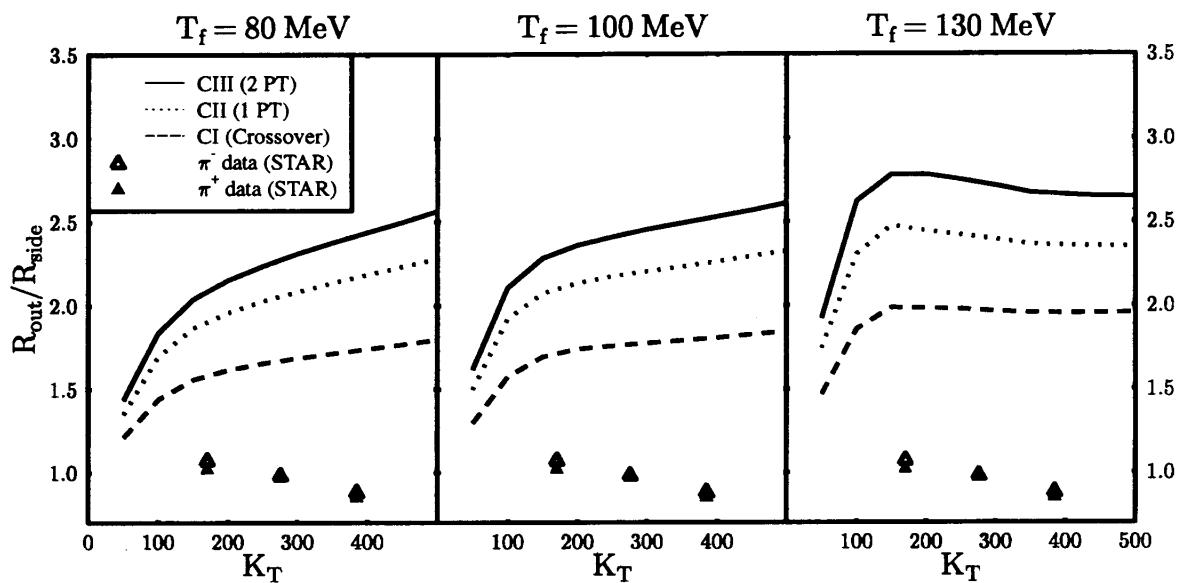
- Only if $\tilde{x} \tilde{t}$ -correlations are small and $\langle \tilde{x}^2 \rangle \approx \langle \tilde{y}^2 \rangle$ we get

$$R_{\text{out}}^2 \approx R_{\text{side}}^2 + \beta_T^2 \langle \tilde{t} \rangle^2$$



Pure Ideal Hydrodynamics

$R_{\text{out}}/R_{\text{side}}$ Ratio vs K_T

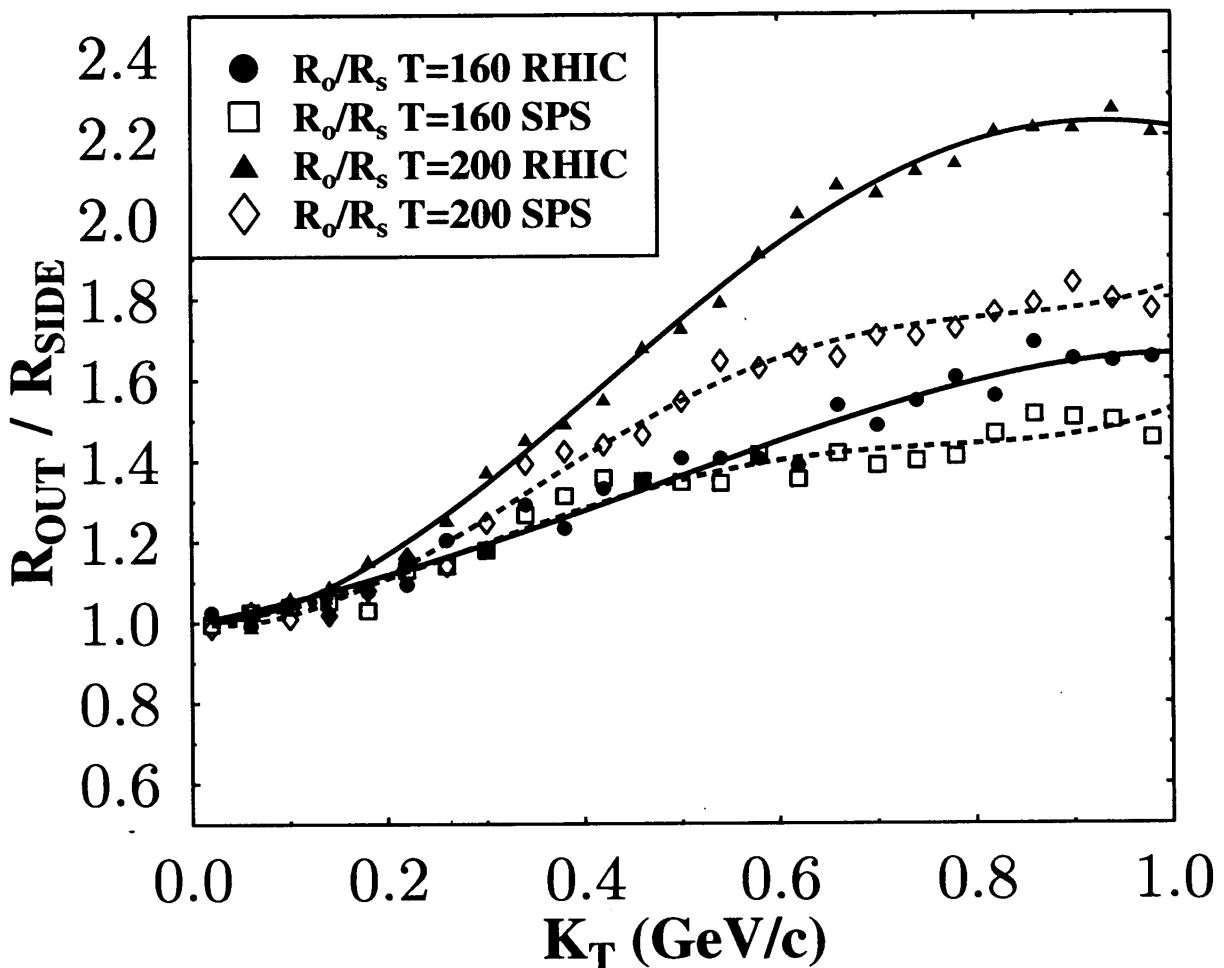


D. Zschiesche (Uni. Frankfurt am Main) nucl-th/0107037

Why Kaons ?

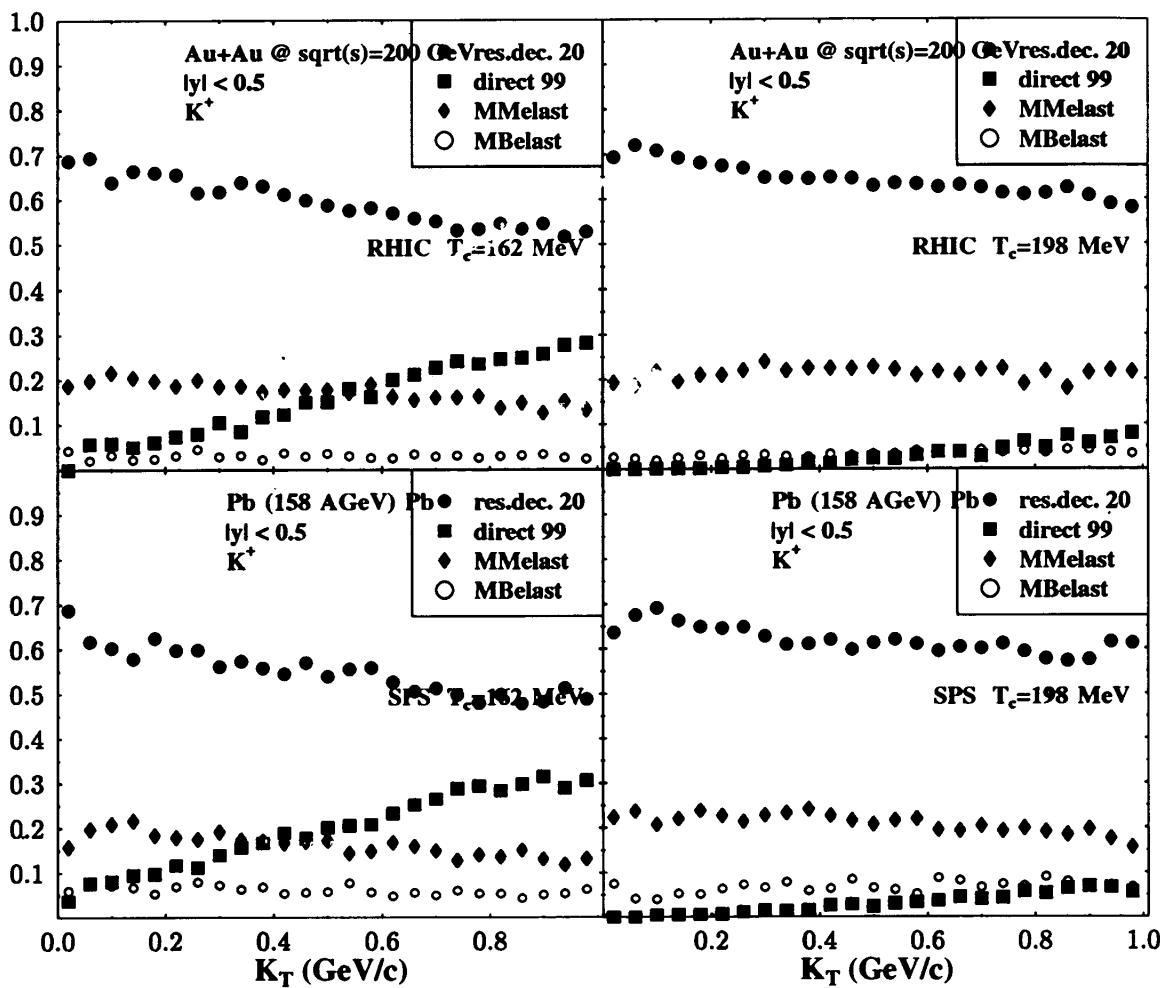
- ↳ Coulomb correction for charged kaons presumably under better control
 - ↳ For neutral kaons, 2-particle Coulomb interactions do not distort BE correlations.
-
- ↳ Less contamination by (long-lived) resonances
 - ↳ higher multiparticle correlation effects for pions - kaon density smaller
($\approx 70\%$ increase of pion multiplicity while HBT radii are constant from SPS to RHIC)
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- ↳ comparison between pions and kaons will provide test of presently applied correlation formalism
 - ↳ additional effects through strangeness distillation ?

Kaons at RHIC, $R_{\text{out}}/R_{\text{side}}$



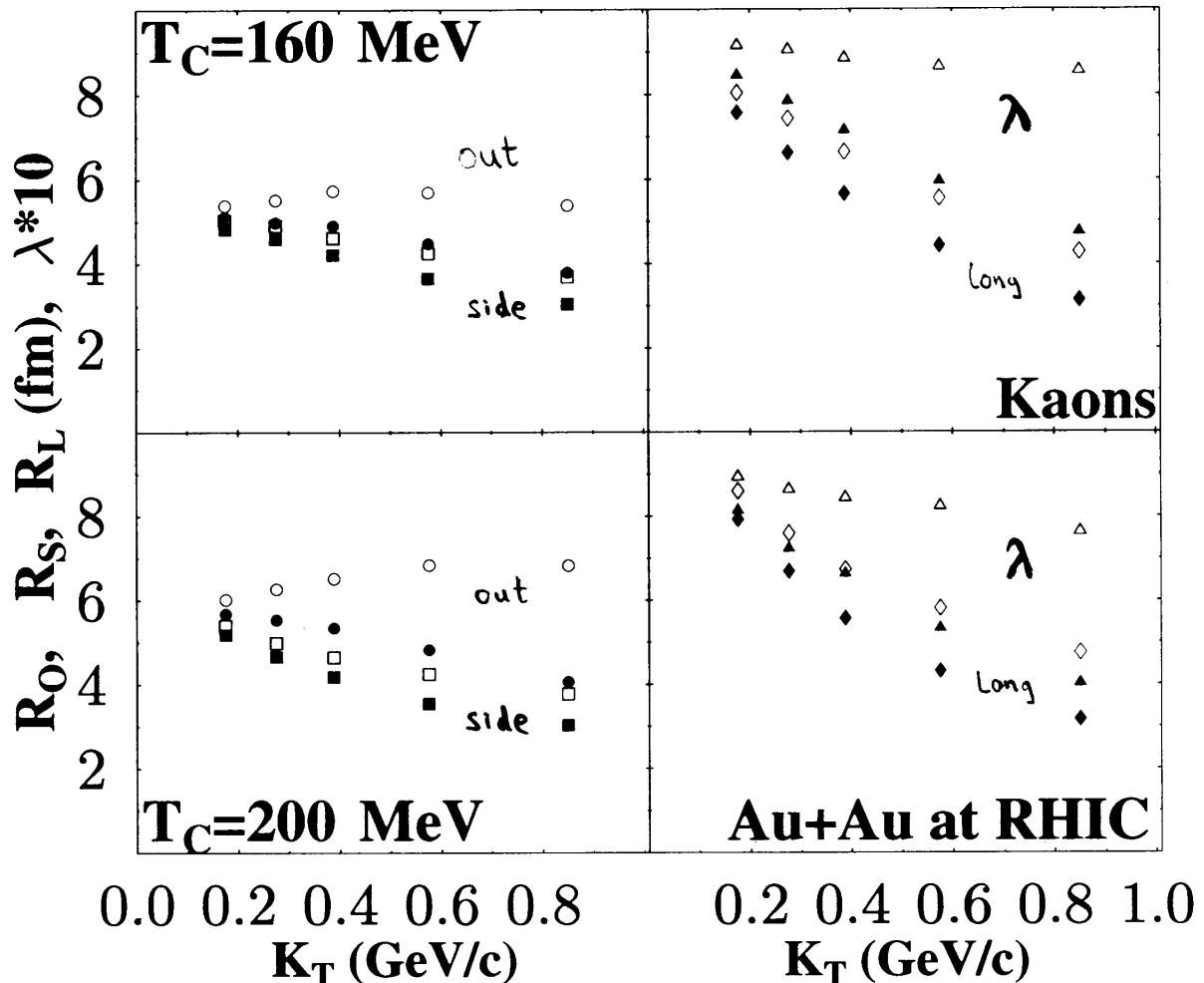
- ⇒ Gradual increase with K_T
- ⇒ Enlarged sensitivity to QGP properties at high K_T

Kaons and their “Sources”



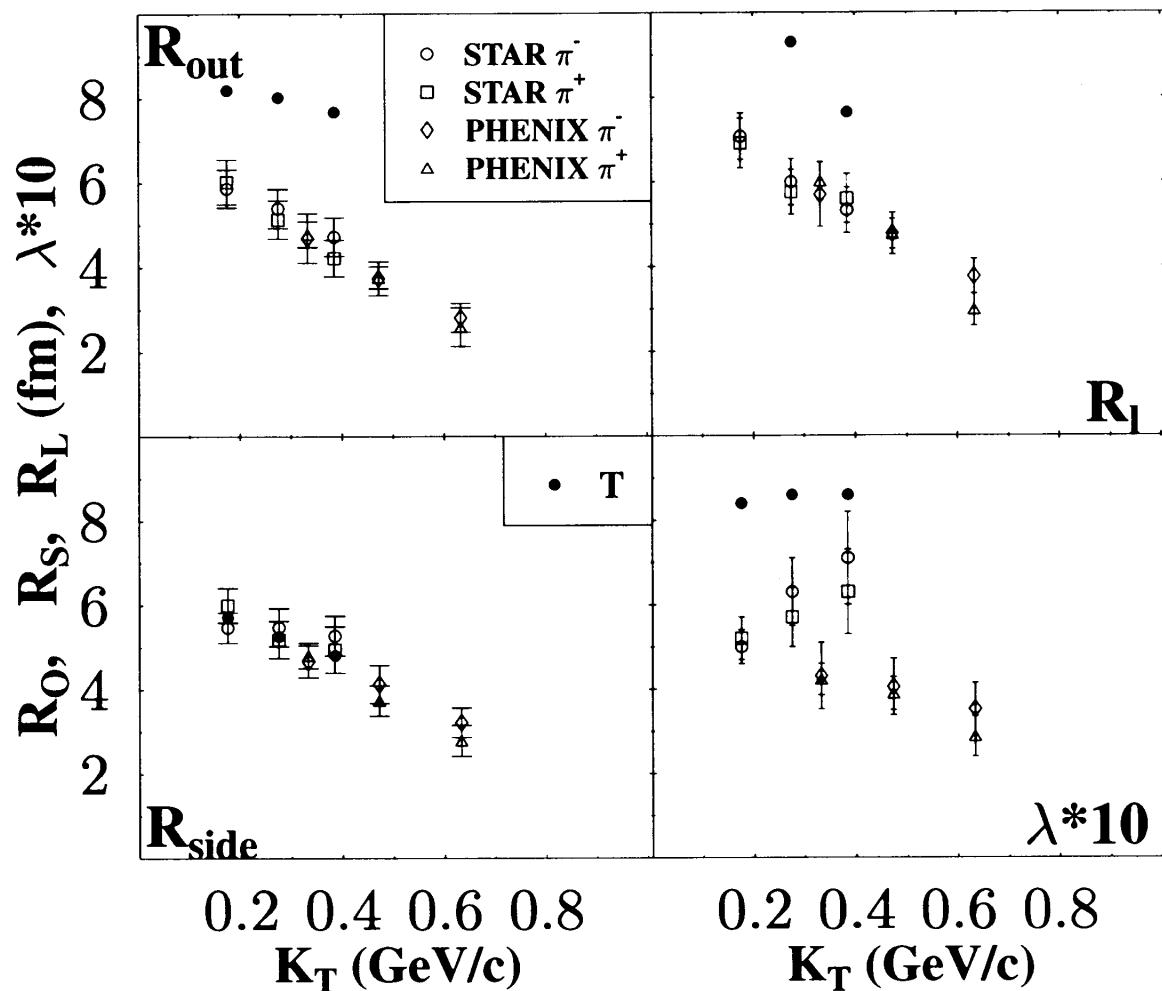
- ⇒ Resonance contribution still $\approx 70\text{--}50\%$ (K^*)
- ⇒ Direct emission increasing with K_T
- ⇒ Are kaons at high K_T the way to look for the *lifetime signal* ?

HBT parameter from 3d-fits



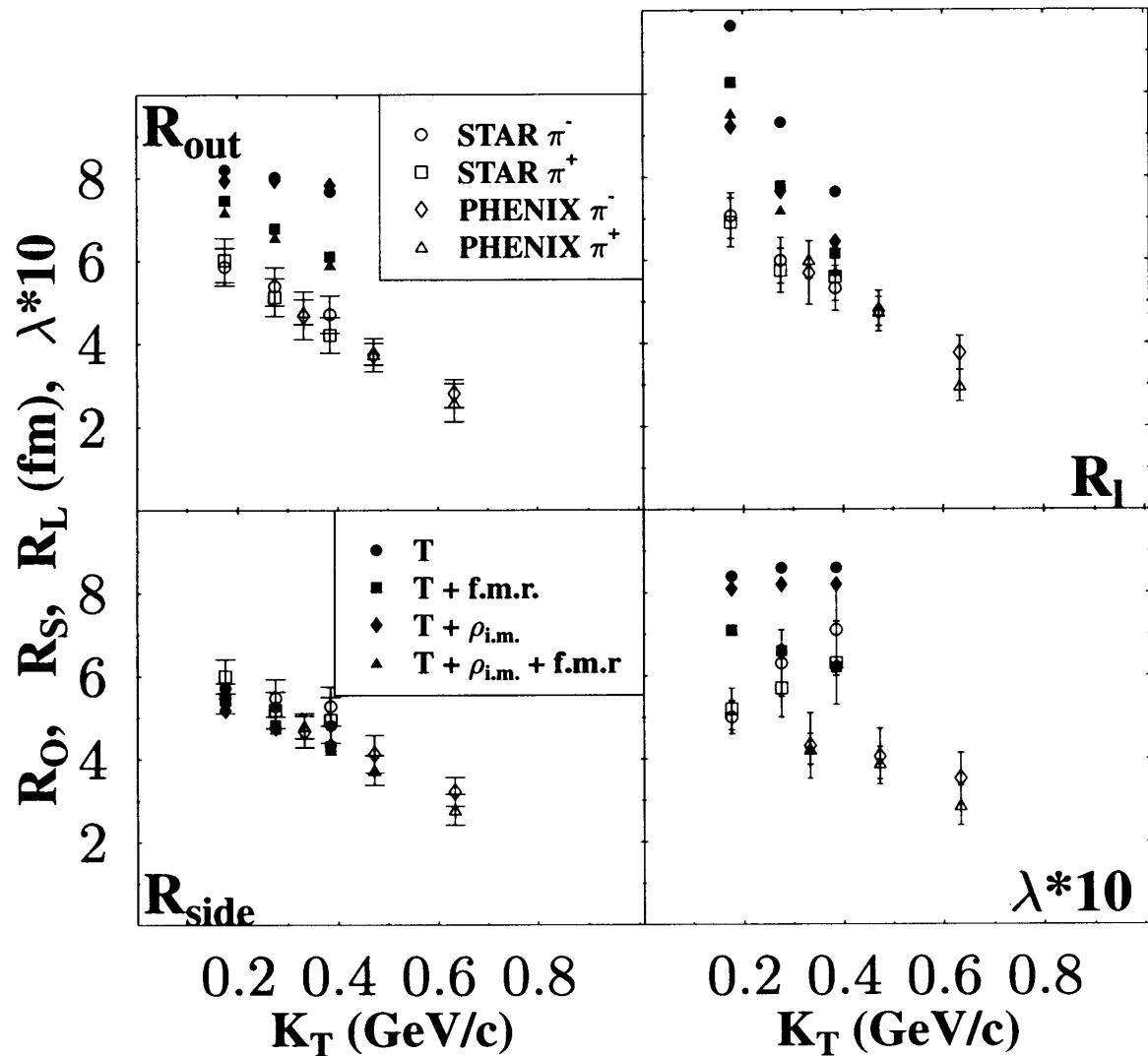
- ⇒ No unusually large kaon HBT radii
- ⇒ R_{out} , λ , and $R_{\text{out}}/R_{\text{side}}$ strongly decreased by finite momentum resolution

Theory versus Data



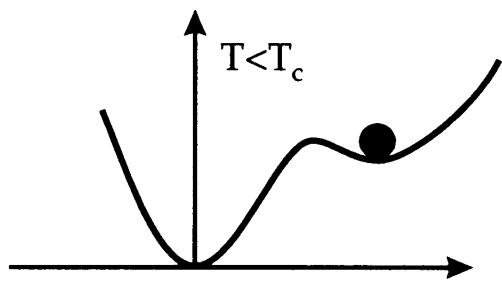
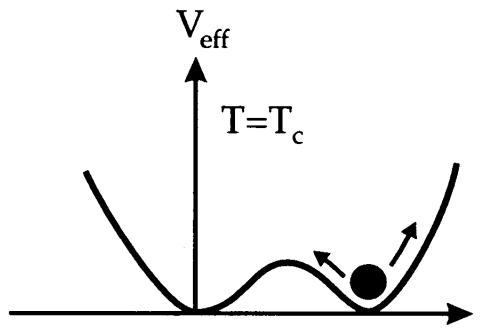
- Results of the 3d-fits to complete C_2 's
- All radii have the correct order of magnitude
- R_{out} too large by 1.5-2 fm
- R_{side} agrees well with data

In-medium ρ + mom. resol.

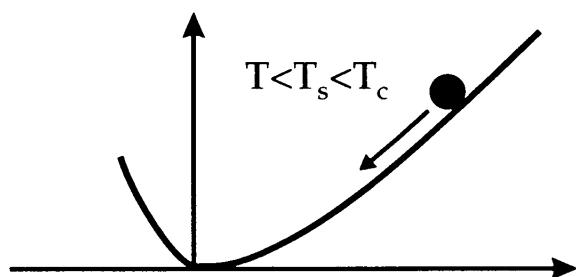
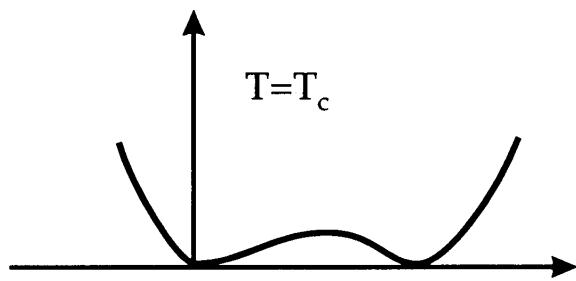
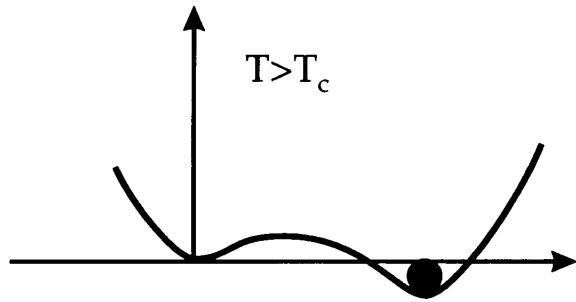


\Rightarrow " ρ + f.m.r" yields best agreement, but
 \Rightarrow $R_{out}/R_{side} > 1$ still holds

Cooking versus Explosion



soft response to cooling
bubble nucleation
tunneling



strong response to cooling
explosive evolution
spinodal decomposition